## GCE

## Physics B

H557/02: Scientific literacy in physics

Advanced GCE

Mark Scheme for November 2020

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This mark scheme is published as an aid to teachers and students, to indicate the requirements of the examination. It shows the basis on which marks were awarded by examiners. It does not indicate the details of the discussions which took place at an examiners' meeting before marking commenced.

All examiners are instructed that alternative correct answers and unexpected approaches in candidates' scripts must be given marks that fairly reflect the relevant knowledge and skills demonstrated.

Mark schemes should be read in conjunction with the published question papers and the report on the examination.
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Annotations

| Annotation | Meaning |
| :--- | :--- |
| BOD | Benefit of doubt given |
| CON | Contradiction |
| ECF | Incorrect response |
| L1 | Error carried forward |
| L2 | Level 1 |
| L3 | Level 2 |
| TE | Level 3 |
| NBOD | Transcription error |
| POT | Benefit of doubt not given |
| A | Power of 10 error |
| SF | Omission mark |
| $\boldsymbol{S}$ | Error in number of significant figures |
| $\boldsymbol{S}$ | Correct response |

Abbreviations, annotations and conventions used in the detailed Mark Scheme (to include abbreviations and subject-specific conventions).

| Annotation | Meaning |
| :---: | :--- |
|  | alternative and acceptable answers for the same marking point |
| reject | Answers which are not worthy of credit |
| not | Answers which are not worthy of credit |
| Ignore | Statements which are irrelevant |
| Allow | Answers that can be accepted |
| ( | Words which are not essential to gain credit |
| - | Underlined words must be present in answer to score a mark |
| ECF | Error carried forward |
| AW | Alternative wording |
| ORA | Or reverse argument |


| Question |  |  | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | a | i | Data logger allow higher frequency of p.d. readings/reading a (changing) voltmeter would introduce greater uncertainty/datalogger timing will be precise | 1 | Don't accept bald 'more accurate' or 'less uncertainty' |
|  |  | ii | Either: $0.63 \mathrm{~V}_{0}=2.8 \mathrm{~V}(1)$, <br> time taken to reach this value $(\tau), 2.3 \mathrm{~s}<\tau<2.4 \mathrm{~s}$ (1) giving $C$ between 450 and $480 \mu \mathrm{~F}$ (1) <br> Or: <br> Use of $V=V_{0}\left(1-e^{-\frac{t}{R C}}\right)$ <br> Correct pair of $V$ and $t(1)$ <br> Correct rearrangement to make $C$ the subject(1) $\text { Value }=470 \mu \mathrm{~F}(1)$ | 3 | Don't accept answers from Q = It when I is held constant. <br> Range at SSU <br> SSU to consider 1/e approximated to $1 / 3$, i.e. <br> $(2 / 3) V_{0}=2.8 \mathrm{~V}$ (Haven't seen this in first $20 \%$ of scripts) <br> Range at SSU <br> e.g. $V=2.5 \mathrm{~V}$ at $t=2 \mathrm{~s}(1)$ $C=-2 /(5000 \times \ln (1-2.5 / 4.4)$ $=0.00047 \mathrm{~F}(1)$ |
|  |  | iii | $\begin{aligned} & E=0.5 \times 5 \times 10^{-4} \times 4.2^{2}(1) \\ & =0.0044 \mathrm{~J}(1) \end{aligned}$ | 2 | Use either own value from a ii or 0.0005 F |
|  | b | i | Line of decreasing negative gradient starting at 4.2 V (1) Gradient $-0.5 \times$ gradient of charging line at any time, by eye (1) <br> Explanation: $R C$ value in the discharge circuit is twice that of the charging circuit. AW(1) | 3 | Accept any clearly lower magnitude of gradient. |
|  |  | ii | $\begin{aligned} & E \propto V^{2} \Rightarrow \text { p.d. when energy stored has halved }=4.2 \mathrm{~V} \times \sqrt{ } 0.5 \\ & =3.0 \mathrm{~V}(2.97 \mathrm{~V})(1) \\ & V=V_{0} e^{-\frac{t}{R C}} \text { where } R=10 \mathrm{k} \Omega \& C=470 \mu \mathrm{~F} \Rightarrow R C=4.7 \mathrm{~s}(1) \\ & -t / 4.7 \mathrm{~s}=\ln (3.0 \mathrm{~V} / 4.2 \mathrm{~V}) \\ & -t=4.7 \mathrm{~s} \times-0.336 \Rightarrow t=1.58 \mathrm{~s}=1.6 \mathrm{~s}(1) \end{aligned}$ | 3 | Range at SSU <br> Ecf from aiii if used <br> Or $R C=$ double $\tau$ from (a)(ii) <br> If $500 \times 10^{-6} \mathrm{~F}$ used, $\mathrm{RC}=5 \mathrm{~s}$ leading to value 1.68/1.7 s. <br> Bald in-range answer gains all marks |


| Question |  |  | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 2 | a |  | $0.8 / 3 \times 10^{8}=2.7 \times 10^{-9}$ light seconds (1) | 1 | No s.f. penalty |
| - | b | i | Light (is observed to) travel a greater distance (1) at the same velocity (1) | 2 | e.g. $2 c t>2 c \tau$ |
|  |  | ii | $\begin{aligned} & c^{2} t^{2}=v^{2} t^{2}+c^{2} \tau^{2}(1) \\ & t^{2}\left(1-\frac{v^{2}}{c^{2}}\right)=\tau^{2}(1) \\ & \text { (leading to } t=\frac{\tau}{\sqrt{1-\frac{v^{2}}{c^{2}}}} \text { ) } \end{aligned}$ | 2 | Expect intermediate stages. Any correct routes gain both marks. |
|  | c |  | $\begin{align*} & t=\frac{611}{\sqrt{1-\frac{\left(5.4 \times 10^{7}\right)^{2}}{\left(3.0 \times 10^{8}\right)^{2}}}}  \tag{1}\\ & =621 \mathrm{~s}(1) \end{align*}$ | 2 | Calculating $\gamma$ to 1.017 gains first mark. Accept answer rounded to 620 s. |
|  | d |  | For photon $v=c$ so denominator (or $\sqrt{1-\frac{v^{2}}{c^{2}}}$ ) is zero/ gamma factor is infinite (1) <br> Therefore $t / \gamma(=\tau)$ is zero (for any value of $t$ ) (1) | 2 | AW but both steps needed for first mark. AW |


| Question |  |  | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 3 | a |  | wavelength of emitted light $\begin{aligned} & =\left(6.63 \times 10^{-34} \times 3.00 \times 10^{8}\right) /\left(1.88 \times 1.60 \times 10^{-19}\right)(1) \\ & =6.61 \times 10^{-7} \mathrm{~m}(1) \end{aligned}$ | 2 | Accept 2 or 3 s.f. No ecf from wrong value used in calculation. |
|  | b | i | Linear graph with x-axis intercept of $1.25 \pm 0.03 \times 10^{6} \mathrm{~m}^{-1}$ | 1 | Examiner to extrapolate line if it doesn't extend to axis. |
|  |  | ii | $\begin{aligned} & \hline h=\frac{E \lambda}{c} \\ & \text { gradient }=\Delta V / \Delta \lambda^{-1}=\Delta V \times \Delta \lambda(1) \\ & E=e V(1) \\ & \text { (therefore, required equation) } \\ & \hline \end{aligned}$ | 2 | Can get the second mark as a lone mark. Accept lack of delta notation if algebra correct, but working from $\Delta V / \Delta \lambda^{-1}$ needed0. |
|  |  | iii | gradient working using x-interval of at least $0.4 \times 10^{6} \mathrm{~m}^{-1}(1)$ gradient in range $1.0 \times 10^{-6}$ to $1.2 \times 10^{-6}(\mathrm{~V} \mathrm{~m})(1)$ <br> $h$ in range $5.3 \times 10^{-34}$ to $6.4 \times 10^{-34}(\mathrm{~J} \mathrm{~s})(1)$ | 3 | Ecf from bi clear values from graph required for first point expected value $=1.1 \times 10^{-6} \mathrm{~V} \mathrm{~m}$ <br> expected value $=5.9 \times 10^{-34} \mathrm{~J} \mathrm{~s}$ |
|  |  | iv | $\begin{aligned} & \text { Steepest-possible value }=9.3 \times 10^{-34} \mathrm{~J} \mathrm{~s} .(1) \\ & \text { Uncertainty }= \pm(9.3-5.9) \times 10^{-34}=3.4 \times 10^{-34} \mathrm{~J} \mathrm{~s}(1) \\ & \text { Answer given as } 5.9 \times 10^{-34} \mathrm{~J} \mathrm{~s} \pm 3.4 \times 10^{-34} \mathrm{~J} \mathrm{~s}(1) \end{aligned}$ | 3 | ecf from (iii) <br> ecf from (iii) <br> Allow 3 sf in final answer and uncertainty. Sf of value and uncertainty must match.Accept 1 s.f. uncertainty and value |



| Question |  |  | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 5 | a | i | $k=(0.059 \times 9.81) /(1.31-1.15)=3.62 \quad(\sim 4)(1)$ | 1 |  |
|  |  | ii | $\begin{aligned} & E=0.5 \times 3.62 \times(1.31-1.15)^{2}(1) \\ & =0.046 \mathrm{~J}(1) \end{aligned}$ | 2 |  |
|  |  | Iii | Level 3 (5-6 marks) <br> Marshals argument in a clear manner. Clearly links acceleration of the ball with the forces acting upon it throughout the fall. Makes a clear statement of the position of greatest velocity and calculates the maximum upwards acceleration. <br> There is a well-developed line of reasoning which is clear and logically structured. The information presented is relevant and substantiated. <br> Level 2 (3-4 marks) <br> Gives a clear explanation of the motion of the ball but does not consider forces or gives incomplete description including forces. Makes some accurate quantitative statements. There is a line of reasoning presented with some structure. The information presented is relevant and supported by some evidence. <br> Level 1 (1-2 marks) <br> Gives incomplete description which includes some correct physics, for instance initial acceleration, position of maximum velocity and position of maximum acceleration. There is an attempt at a logical structure with a line of reasoning. The information is in the most part relevant. 0 marks <br> No response or no response worthy of credit | 6 | Indicative scientific points may include: <br> - Acceleration $=9.81 \mathrm{~m} \mathrm{~s}^{-2}$ from release until length of cord $=1.15 \mathrm{~m}$ <br> - as only force acting on ball is $m g$. <br> - Describes velocity increasing at a decreasing rate until 1.31 m <br> - From 1.15 to 1.31 m acceleration is decreasing <br> - as net force on ball $=m g-k x$ <br> - Greatest velocity at 1.31 m <br> - From 1.31 m to 1.78 m the ball is decelerating at an increasing rate <br> - as $k x>m g$ and the upward force increases as $x$ increases <br> - maximum upwards acceleration occurs at lowest point <br> - upwards acceleration $=(k x-m g) / m$; <br> - upwards acceleration $\begin{aligned} & =((3.62 \times 0.63)-(0.059 \times 9.81)) / 0.059 \\ & =28.8 \mathrm{~m} \mathrm{~s}^{-2} \end{aligned}$ |


| Question |  | Answer | Marks | Guidance |
| :--- | :--- | :--- | :--- | :--- | :--- |
| $\mathbf{5}$ | a | iv | $\begin{array}{l}\text { Sensible, practicable suggestion (1) } \\ \text { Description of method (1) }\end{array}$ | $\begin{array}{l}\text { E.g. video against a ruled background (1) } \\ \text { Analyse frame by frame (1) } \\ \text { NOT just 'use a video camera' }\end{array}$ |
| OR |  |  |  |  |
| Place board on floor and move up until the |  |  |  |  |
| ball just touches the board at lowest point (1) |  |  |  |  |
| Judge by sight or sound |  |  |  |  |
| Measure distance (1) |  |  |  |  |$]$


| Question |  |  | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 6 | a | i | Starting height $=6.40 \times 10^{6} \mathrm{~m}$ \& ending height $=7.225 \times 10^{6}$ m(1) <br> Change in $V_{\text {grav. }}$ is the area between the line and the axis (bounded by the starting and ending height) (1) <br> Change in energy = change in $V$ grav $\times 2300 \mathrm{~kg}$. Value between $1.55 \times 10^{10} \mathrm{~J}$ and $1.75 \times 10^{10} \mathrm{~J}(1)$ | 3 | Must show own value; from graph should be $\sim 7.2 \times 10^{6} \mathrm{~J} \mathrm{~kg}^{-1}$. <br> Accept calculating to values of $G M / r$ by multiplying $g$ values by $r$ : <br> First mark for identifying heights correctly, <br> Second mark for method <br> Third mark for evaluation. <br> Candidate must show how the result is achieved, even if a full explanation is not present. <br> Accept $1 / 2$ base $x$ height calculations(plus rectangle) giving answers of around $1.7 \times 10^{10}$ J <br> Use of $E=m g h$ is neutral in this case. <br> Calculated value $=1.64 \times 10^{10} \mathrm{~J}$ |
|  | a | ii | $\begin{aligned} & 1.6 \times 10^{10}=G M m\left(\frac{1}{6.4 \times 10^{6}}-\frac{1}{7.225 \times 10^{6}}\right)(1)=1.78 \times 10^{-8} G M m \\ & M=1.6 \times 10^{10}\left(6.67 \times 10^{-11} \times 2300 \times 1.78 \times 10^{-8}\right)(1) \\ & =5.8 \times 10^{24} \mathrm{~kg}\left(\approx 6 \times 10^{24} \mathrm{~kg}\right)(1) \end{aligned}$ | 3 | e.c.f. own answer to ai. Must show working but steps in the working may be conflated. |
|  | b | i | $\begin{aligned} & F=(-) \frac{6.67 \times 10^{-11} \times 2300 \times 6 \times 10^{24}}{\left(7.225 \times 10^{6}\right)^{2}} \\ & =(-) 1.763 \times 10^{4} \mathrm{~N}=1.8 \times 10^{4} \mathrm{~N}(1) 0 \end{aligned}$ | 2 | Bald correct answer gains two marks. Allow ecf from POT error in method - if clearly shown. |
|  |  | ii | $\begin{aligned} & v=\sqrt{\frac{1.8 \times 10^{4} \times 7.225 \times 10^{6}}{2300}=7520 \mathrm{~m} \mathrm{~s}^{-1}(1)} \\ & T=\frac{2 \pi \times 7.225 \times 10^{6}}{7520}(1) \\ & =6037 \mathrm{~s}=6040 \mathrm{~s}(1) \\ & \text { OR } \\ & a=-\omega^{2} r \\ & 1.8 \times 10^{44} / 2300=4 \pi f^{2} \times 7.225 \times 10^{6}(1) \end{aligned}$ | 3 | Allow for rounding differences. Bald correct answer gains three marks. <br> Ecf fromb(i). <br> If $1.763 \times 10^{4}$ used, $\mathrm{T}=6100 \mathrm{~s}$ |


|  |  | $\begin{aligned} & \mathrm{f}^{2}=2.74 \times 10^{-8}(1) \\ & \mathrm{f}=1.66 \times 10^{-4} \mathrm{~s}^{-1} \\ & \mathrm{~T}=6037 \mathrm{~s}(1) \end{aligned}$ <br> OR <br> $v=(G M / r)^{0.5}=7520 \mathrm{~m} \mathrm{~s}^{-1}(1)$ for first mark |  |  |
| :---: | :---: | :---: | :---: | :---: |
| c | $\bar{c}$ | Any three from: <br> Advantages to low polar orbit: <br> - High(er) resolution imaging AW <br> - Image more of the planet as the Earth spins underneath the satellite <br> Geostationary: <br> - Remain at the same position in the sky so dishes can keep locked on to signal AW <br> - Higher orbit means greater coverage | 3 | Not just 'image more of planet' or 'see more clearly' <br> Note stem of question informs candidates that geostationary satellites are always above the same point on the Earth's surface. |
|  |  | total | 14 |  |


| Section C |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Question |  |  | Answer |  | Marks | Guidance |
| 7 | a |  | 400 Hz (1) |  | 1 |  |
|  | b |  | Highest frequency component $=800 \mathrm{~Hz}(1)$ Need twice this to avoid aliasing (AW) (1) Minimum sampling frequency $=1600 \mathrm{~Hz}$ (1) |  | 3 | The time period of the 'wobble' is $\sim 0.0006 \mathrm{~s}$. This may lead students to a high frequency component of 1670 Hz and therefore a minimum frequency of around 3300 Hz . Two marks max for this. (SSU) Can get the second two marks from the wrong highest frequency component. Two marks max for doubling the frequency in (a) |
|  | C | i | Velocity increases whilst wavelength constant (1) |  | 1 | Need wavelength constant |
|  |  | ii | $\frac{445}{440}=\frac{\sqrt{T_{2}}}{\sqrt{285}}(1)$ <br> $T_{2}=291.5 \mathrm{~Hz}$ so temperature rise $=6.5 \mathrm{~K}(1)$ |  | 2 | Bald answer gains both marks Accept 7 K |
|  |  |  |  | total | 7 |  |


| Question |  |  | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 8 | a |  | particle identified as anti-neutrino (1) <br> (No leptons on LHS of equation), anti-lepton (anti-neutrino) balances lepton (electron) on RHS (1) Electrons released in beta decay have range of energies, (1) (the energy of the neutrino makes up the difference between energy released and the energy of the electron) | 3 | AW <br> Mark for recognising the spectrum of energies of electrons emitted. |
|  | b |  | Using $t=-\tau \ln \left(\frac{R_{\mathrm{t}}}{R_{0}}\right)$ : $\begin{aligned} & 9000=\frac{-5700}{\ln 2} \ln \left(\frac{R_{\mathrm{t}}}{1.4 \times 10^{-12}}\right) \\ & \text { Ratio }=4.7 \times 10^{-13}(1) \end{aligned}$ <br> OR $\begin{aligned} & \lambda=\ln 2 / 5700 \text { years }=1.216 \times 10^{-4} \text { year }^{-1}(1) \\ & R \mathrm{t}=R_{0} \mathrm{e}^{-\lambda t} \\ & =1.4 \times 10^{-12} \exp \left(-1.216 \times 10^{-4} \text { year }^{-1} \times 9000 \text { year }\right) \\ & =4.7 \times 10^{-13}(1) \end{aligned}$ | 2 | Other methods possible. Correct bald answer gains both marks. <br> Accept $3.8 \times 10^{-12}\left(\mathrm{~s}^{-1}\right)$ for $\lambda$ |


| Question |  |  | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 8 | C |  | Level 3 (5-6 marks) <br> Marshals argument in a clear manner. Explains the idea of 'old carbon' released from volcanoes having lower ${ }^{14} \mathrm{C} /{ }^{12} \mathrm{C}$ ratio than living material. Clearly explains the use of tree ring data (which can also have its ${ }^{14} \mathrm{C} /{ }^{12} \mathrm{C}$ ratio measured) and links use of tree ring data back to measurement of plant age. Includes a clear and correct calculation of the effect of 'old-carbon' contamination. <br> There is a well-developed line of reasoning which is clear and logically structured. The information presented is relevant and substantiated. <br> Level 2 (3-4 marks) <br> Gives a clear and complete qualitative explanation of the effect of old carbon and the use of tree ring data but the calculation is incomplete or incorrect in some aspects. <br> There is a line of reasoning presented with some structure. <br> The information presented is relevant and supported by some evidence. <br> Level 1 (1-2 marks) <br> Gives a description of the effect of old carbon and the use of tree rings but the explanation is superficial or incomplete. <br> Calculation, if attempted, is limited or incorrect. <br> There is an attempt at a logical structure with a line of reasoning. The information is in the most part relevant. <br> 0 marks <br> No response or no response worthy of credit | 6 | Indicative scientific points may include: <br> - Carbon-14 originally present in volcanic material has decayed <br> - Carbon from volcanoes combines with oxygen to give carbon-dioxide which plants take up (through photosynthesis) <br> - Take up of ancient carbon reduces ${ }^{14} \mathrm{C} /{ }^{12} \mathrm{C}$ ratio <br> - Reduced ${ }^{14} \mathrm{C} /{ }^{12} \mathrm{C}$ ratio suggests a greater age <br> - Trees absorb $\mathrm{CO}_{2}$ during growth cycle <br> - Age of trees can be directly measured by counting tree rings <br> - ${ }^{14} \mathrm{C} /{ }^{12} \mathrm{C}$ ratio in each ring can be measured and compared with organic material in the vicinity. <br> - Calculation: <br> - $10 \%$ ancient carbon will reduce ${ }^{14} \mathrm{C} /{ }^{12} \mathrm{C}$ ratio to $1.26 \times 10^{-12}$ <br> - Apparent age $=\frac{-5700}{\ln 2} \ln \left(\frac{1.26}{1.4}\right)$ <br> - Apparent age $=866$ years (2 s.f.) |
|  |  |  | total | 11 |  |


| Question |  | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: | :---: |
| 9 | a | $\begin{aligned} & p=\sqrt{2 m E_{k}}=\sqrt{2 m q V}\left(=2.50 \times 10^{-19} \mathrm{~N} \mathrm{~s}\right) \\ & r=\frac{\sqrt{2 \times 2.33 \times 10^{-26} \times 4.2 \times 10^{6} / 3.2 \times 10^{-19}}}{}(1) \\ & =1.1 \mathrm{~m}(2 \mathrm{~s} . \mathrm{f} .)(1) \end{aligned}$ | 3 | Other routes possible. Correct bald answer gains three marks. <br> Correct calculation following incorrect velocity value gains two marks ecf. <br> Double error in charge (giving $v=7.59 \times 10^{6}$ and $r=1.54$ gains two marks) $0$ <br> 1.55 or 1.6 m gains two marks <br> (use of $1.6 \times 10^{-19}$ rather than $3.2 \times 10^{-19}$ ) |
|  | b | These have the same mass as ${ }^{14} \mathrm{C}$ (1) and those with the same charge will be deflected the same amount in the magnetic field, (1) producing spurious ${ }^{14} \mathrm{C}$ results. | 2 |  |

OCR (Oxford Cambridge and RSA Examinations)<br>The Triangle Building<br>Shaftesbury Road<br>Cambridge<br>CB2 8EA<br>OCR Customer Contact Centre<br>Education and Learning<br>Telephone: 01223553998<br>Facsimile: 01223552627<br>Email: general.qualifications@ocr.org.uk<br>www.ocr.org.uk

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